# Efficient Shadow Detection of Color Aerial Images Based on Successive Thresholding Scheme

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Abstract—Recently, Tsai presented an efficient algorithm which uses the ratio value of the hue over the intensity to construct the ratio map for detecting shadows of color aerial images. Instead of only using the global thresholding process in Tsai's algorithm, this paper presents a novel successive thresholding scheme (STS) to detect shadows more accurately. In our proposed STS, the modified ratio map, which is obtained by applying the exponential function to the ratio map proposed by Tsai, is presented to stretch the gap between the ratio values of shadow and nonshadow pixels. By performing the global thresholding process on the modified ratio map, a coarse-shadow map is constructed to classify the input color aerial image into the candidate shadow pixels and the nonshadow pixels. In order to detect the true shadow pixels from the candidate shadow pixels, the connected component process is first applied to the candidate shadow pixels for grouping the candidate shadow regions. For each candidate shadow region, the local thresholding process is performed iteratively to extract the true shadow pixels from the candidate shadow region. Finally, for the remaining candidate shadow regions, a fine-shadow determination process is applied to identify whether each remaining candidate shadow pixel is the true shadow pixel or not. Under six testing images, experimental results show that, for the first three testing images, both Tsai's and our proposed algorithms have better detection performance than that of the algorithm of Huang *et al.*, and the shadow detection accuracy of our proposed STS-based algorithm is comparable to Tsai's algorithm. For the other three testing images, which contain some low brightness objects, our proposed algorithm has better shadow detection accuracy when compared with the previous two shadow detection algorithms proposed by Huang et al. and Tsai.

*Index Terms*—Coarse-to-fine strategy, color aerial image, shadow detection, successive thresholding scheme (STS).

## I. INTRODUCTION

I N URBAN aerial images, shadows usually result in information loss or distortion of objects [1], [2]; thus, it is an important research issue to detect shadows for urban aerial images. Based on the three features, which are intensity values, geometrical properties, and light directions, several efficient algorithms have been presented to detect shadows for gray aerial images [3]–[6]. Since gray aerial images only provide

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the intensity information, some nonshadow regions may be identified as shadows even if the aforementioned three features have been considered. However, for color aerial images, the shadow detection accuracy can be improved by utilizing both the intensity and the color information.

Because the chromaticity information is not affected by the change of illumination for some cases, a shadow region can be detected by selecting the region which is darker than its neighboring regions but has similar chromaticity information. According to this illumination invariant property of chromaticity, several efficient methods [7]–[9] have been developed to detect shadows for color images efficiently. However, they may not work well for color aerial images since some shadow properties in color aerial images have not been considered. To detect shadows of color aerial images, Polidorio et al. [10] utilized two properties of shadows, which are the low luminance and the highly saturated blue/violet wavelength, to detect shadows. According to the two shadow properties, the red, green, and blue (RGB) color aerial image is first transformed into the hue, saturation, and intensity (HSI) color model, and then, a segmentation process is applied to the saturation component and the intensity component to identify shadows. Later, Huang et al. [11] observed that the pixels in a shadow region usually have large hue value, low blue color value, and small difference between green and blue color values. Following this observation, three experimental thresholds are determined to detect shadows in the HSI color model. Recently, Tsai [12] presented an efficient algorithm to detect shadows for color aerial images, too. The input image can be first transformed into the HSI; hue, saturation, and value (HSV); luma, blue-difference chroma, and red-difference chroma  $(YC_bC_r)$ ; hue, chroma, and value (HCV); or luminance, hue, and saturation (YIQ) color models. Under the transformed invariant color model, Tsai first calculated the ratio of the hue over the intensity for each pixel to construct the ratio map, and then, a global threshold of the constructed ratio map is determined to identify shadows. Experimental results show that Tsai's algorithm has better shadow detection accuracy when compared to the previous works [10], [11]. Note that, among these invariant color models, Tsai's algorithm has the best shadow detection performance for the HSI color model.

In this paper, a new successive thresholding scheme (STS) is proposed to detect shadows for color aerial images. Instead of using the ratio map by Tsai, our proposed modified ratio map, which is obtained by applying the exponential function to the ratio map, is presented to stretch the gap between the ratio values of shadow and nonshadow pixels. Based on the modified ratio map, our proposed STS applies a global thresholding

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process to create a coarse-shadow map for classifying the input color aerial image into the candidate shadow pixels and the nonshadow pixels. In order to detect the true shadow pixels from the candidate shadow pixels, the connected component process is first performed to the candidate shadow pixels for grouping the candidate shadow regions. For each candidate shadow region, the local thresholding process is performed iteratively to extract the true shadow pixels from the candidate shadow region. Finally, for the remaining candidate regions, a fine-shadow determination process is presented to determine whether each remaining candidate shadow pixel is the true shadow pixel or not. Under six testing images, experimental results show that, for the first three testing images, both Tsai's and our proposed algorithms have better detection performance than that of the algorithm of Huang et al., and the shadow detection accuracy of our proposed STS-based algorithm is comparable to Tsai's algorithm. For the other three testing images, which contain some low brightness objects, our proposed algorithm has better shadow detection accuracy when compared with the previous two shadow detection algorithms proposed by Huang et al. and Tsai.

The remainder of this paper is organized as follows. In Section II, we survey Tsai's shadow detection algorithm. In Section III, our proposed STS-based algorithm is presented. Section IV demonstrates the performance comparison among our proposed STS-based algorithm, Tsai's algorithm, and the algorithm of Huang *et al.* Section V addresses some concluding remarks.

#### II. PAST SHADOW DETECTION WORK BY TSAI

In this section, we survey the algorithm proposed by Tsai [12]. The flowchart of Tsai's algorithm is shown in Fig. 1. To detect shadows in the color aerial image, Tsai transforms the input *RGB* image *I* into an invariant color model, i.e., *HSI*, *HSV*, *HCV*, *YIQ*, or  $YC_bC_r$  color models. For each pixel, the ratio of the hue over the intensity is used to determine whether the pixel is a shadow pixel or not. For easy exposition, the *HSI* color model is used as the representative. Note that, among these five invariant color models, Tsai's algorithm has the best shadow detection performance for the *HSI* model. The following equation is given to transform the *RGB* color model into the *HSI* color model [13]:

$$\begin{bmatrix} I\\V_1\\V_2 \end{bmatrix} = \begin{bmatrix} \frac{1}{3} & \frac{1}{3} & \frac{1}{3}\\ \frac{-\sqrt{6}}{6} & \frac{-\sqrt{6}}{6} & \frac{\sqrt{6}}{3}\\ \frac{1}{\sqrt{6}} & \frac{-2}{\sqrt{6}} & 0 \end{bmatrix} \begin{bmatrix} R\\G\\B \end{bmatrix}$$
$$S = \sqrt{V_1^2 + V_2^2}$$
$$H = \begin{cases} \tan^{-1}\left(\frac{V_2}{V_1}\right), & \text{if } V_1 \neq 1\\H \text{ is undefined, otherwise.} \end{cases}$$
(1)

In the HSI color model, I and H components are called the intensity- and hue-equivalent components, respectively. By



Fig. 1. Flowchart of Tsai's algorithm.

scaling I and H components to the range in [0, 1], we can obtain the intensity-equivalent image  $I_e$  and hue-equivalent image  $H_e$ , respectively. The ratio map R is defined by

$$R(x,y) = \frac{H_e(x,y) + 1}{I_e(x,y) + 1}$$
(2)

where R(x, y),  $H_e(x, y)$ , and  $I_e(x, y)$  denote the pixel at position (x, y) of R, the image  $H_e$ , and the image  $I_e$ , respectively. In Tsai's algorithm, the value of R(x, y) is scaled to the range [0, 255] for shadow detection.

From the ratio map R, Otsu's thresholding method [14] is applied to determine the threshold T which can be used for separating all the pixels of R into two classes, where the threshold T is determined by

$$T = \arg\min_{T} \left( \sum_{i=0}^{T} P(i)(i-\mu_1)^2 + \sum_{i=T+1}^{255} P(i)(i-\mu_2)^2 \right)$$
(3)

where P(i) denotes the probability of the ratio value i in R,  $\mu_1 = \sum_{i=0}^{T} (iP(i)/W_1)$ , and  $\mu_2 = \sum_{i=T+1}^{255} (iP(i)/W_2)$ , where  $W_1 = \sum_{i=0}^{T} P(i)$  and  $W_2 = \sum_{i=T+1}^{255} P(i)$ . Based on the threshold T, a shadow map S can be obtained by

$$S(x,y) = \begin{cases} 1, & R(x,y) > T \\ 0, & \text{otherwise} \end{cases}$$
(4)

where S(x, y) = 1 denotes the shadow pixel at position (x, y).

Furthermore, Tsai presented a shape preservation process to preserve shape information of objects casting shadows. It first performs the Sobel operator on  $I_e(x, y)$  to obtain the gradient map, and then, a shape map  $S_h$  can be constructed by applying Otsu's thresholding method to the gradient map. In the shape map  $S_h$ , the value of each pixel is determined by the similar way as in (4). For each pixel  $S_h(x, y)$ , it is a boundary pixel of the casting object when  $S_h(x, y) = 1$ . After performing the logical AND operation on the shape map  $S_h$  and the shadow map S, the shape information of objects can be preserved. Finally, from the result of the shape preservation process, the shadow compensation process compensates shadows by adjusting the intensity values of shadow pixels. Since this paper focuses on the detection of shadows for color aerial images, the shadow compensation process is ignored.

## **III. OUR PROPOSED SHADOW DETECTION ALGORITHM**

In this section, our proposed STS-based algorithm is presented to detect shadows for color aerial images. Instead of using the ratio map obtained by Tsai's algorithm, we present the modified ratio map to distinguish the candidate shadow pixels from nonshadow pixels. From the modified ratio map, the global thresholding process is first performed to obtain the coarse-shadow map, which separates all the pixels of the input image into candidate shadow pixels and nonshadow pixels. Furthermore, the local thresholding process is applied to each candidate shadow region in the coarse-shadow map iteratively to distinguish true shadow pixels from candidate shadow pixels. Finally, the fine-shadow determination process is applied to determine whether each pixel in the remaining candidate shadows is a true shadow pixel or not.

#### A. Proposed Modified Ratio Map

In Tsai's shadow detection algorithm, the ratio map R is obtained by using (2) to calculate the ratio value R(x, y). However, for some cases, the two terms in (2), i.e.,  $H_e(x, y) + 1$ and  $I_e(x, y) + 1$ , may result in unsatisfactory shadow detection result since the values of  $H_e(x, y)$  and  $I_e(x, y)$  are scaled to the value in [0, 1]. For example, Fig. 2(a), (b), and (d) shows an input color aerial image, its ratio map obtained by Tsai's algorithm, and its shadow detection result, respectively. Note that the white pixels in Fig. 2(d) are the detected shadow pixels. We can observe that, in Fig. 2(b), the difference between the road and shadow regions is not large enough and the road regions are identified as the shadow regions in Fig. 2(d).

In order to overcome the aforementioned problem, we present a modified ratio map to improve the shadow detection accuracy. Based on the HSI color model, the intensity-equivalent image  $I_e$  and hue-equivalent image  $H_e$  used in the proposed modified ratio map are calculated by

$$I_e = \frac{1}{3}R + \frac{1}{3}G + \frac{1}{3}B$$
(5)

$$H_e = \left(\tan^{-1}\left(\frac{V_2}{V_1}\right) + \pi\right) \times \frac{255}{2\pi} \tag{6}$$

respectively, where  $V_1$  and  $V_2$  have been defined in (1) and the values of  $I_e$  and  $H_e$  are bounded in the range [0, 255]. The ratio value argument used in our modified ratio map is given by

$$r(x,y) = \operatorname{round}\left(\frac{H_e(x,y)}{I_e(x,y)+1}\right) \tag{7}$$



Fig. 2. Shadow detection comparison between the ratio map by Tsai and our modified ratio map. (a) Input color aerial image. (b) Tsai's ratio map of (a). (c) Our ratio map of (a). (d) Shadow detection result of (b). (e) Shadow detection result of (c).



Fig. 3. Relationship between r(x, y) and R'(x, y), where  $T_S$  and  $\sigma$  are set to 200 and 20, respectively.

where the term  $I_e(x, y) + 1$  can avoid dividing by zero, and the value of r(x, y) can be bounded in the range [0, 255]. Our proposed modified ratio map R' is defined by

$$R'(x,y) = \begin{cases} e^{-\frac{(r(x,y) - T_S)^2}{4\sigma^2}} \times 255, & \text{if } r(x,y) < T_S \\ 255, & \text{otherwise.} \end{cases}$$
(8)

In our implementation, the value of  $T_S$  is determined when the condition  $\sum_{i=0}^{T_S} P(i) = P_S$  is held, where P(i) denotes the probability of the ratio value *i* in  $\{r(x, y)\}$ ;  $\sigma$  is calculated by  $\sqrt{\sum_{i=0}^{T_S-1} P(i)(i-T_S)^2}$ ; and  $P_S$  is set to 0.95, empirically. In Fig. 3, the curve shows the relationship between r(x, y) and R'(x, y), where the values of  $T_S$  and  $\sigma$  are set to 200 and



Fig. 4. Shadow detection results for different  $P_S$ 's. (a)  $P_S = 0.9$ . (b)  $P_S = 0.95$ . (c)  $P_S = 0.99$ .

20, respectively. In fact, the proposed modified ratio map in (8) can be used to replace the ratio map by Tsai to make the difference between the ratio values of the road regions and those of the shadow regions in the modified ratio map larger. Fig. 2(e) shows better detected shadows of Fig. 2(a) by putting the proposed modified ratio map into Tsai's algorithm. Here, the determination of  $P_S$  is based on the assumption that the ratio of the shadow-pixel number over the total pixel number in the input image is larger than  $1 - P_S$ . To determine an applicable  $P_S$ , a large value is set to  $P_S$  to construct the proposed modified ratio map since the number of the shadow pixels is much less than that of the nonshadow pixels for most color aerial images. Fig. 4(a)–(c) shows the shadow detection results for  $P_S = 0.9$ ,  $P_S = 0.95$ , and  $P_S = 0.99$ , respectively. It is observed that both the detected results for  $P_S = 0.90$  and  $P_S = 0.95$  are satisfactory. However, when  $P_S$  is increased to 0.99, some shadow pixels are identified as the nonshadow pixels, which are denoted by the circled regions in Fig. 4(c), since the setting percentage of the number of the shadow pixels over that of the total pixels is too small and some shadow pixels cannot be detected. Based on all our testing images,  $P_S = 0.95$  can detect many cases of shadows, but for some cases, the global thresholding process may lead to unsatisfactory results. In the next section, a new STS combining global and local thresholding processes is presented to improve the global thresholding process.

## B. Proposed New STS

For some cases, it is hard to identify shadow regions from nonshadow regions even if the proposed modified ratio map has been considered in the shadow detection process. For example, Fig. 5(a) shows the input color aerial image, and Fig. 5(b)shows the modified ratio map of Fig. 5(a). In Fig. 5(b), the ratio submap surrounded by the dashed line includes the river and the roadway's shadow, and it seems that separating such a ratio submap into the shadow and nonshadow regions is easy. Based on the modified ratio map as shown in Fig. 5(b), the result of shadow detection carried out by using the global thresholding process is shown in Fig. 5(c). Surprisingly, the pixels within the river region are identified as shadow pixels even if the gap



Fig. 5. Shadow detection comparison between the global thresholding scheme and our proposed STS. (a) Input color aerial image. (b) Modified ratio map of (a). (c) Shadow detection result of (a) by using the global thresholding scheme. (d) Shadow detection result of (a) by using the proposed STS.

between the ratio values of river region and roadway's shadow region is large.

In order to alleviate this problem, we now propose a new STS combining global and local thresholding processes to deal with such color aerial images. The flowchart of the proposed STS-based algorithm is shown in Fig. 6. In our proposed STS, based on the modified ratio map, the global thresholding process is first performed to obtain the coarse-shadow map, which separates the input image into candidate shadow pixels and nonshadow pixels. Based on the coarse-shadow map, the candidate shadow regions can be identified by using the connected component analysis [15], and then, we perform the local thresholding process to each region iteratively to detect true shadow pixels from candidate shadow pixels. Furthermore, we present a fine-shadow determination process to distinguish true shadows from candidate shadows, and then, we enforce the remaining candidate shadows to be the nonshadows. The detected shadows using our proposed STS-based algorithm are shown in Fig. 5(d). It reveals that the proposed algorithm has better accuracy than that of Tsai's algorithm.

Given an input *RGB* color aerial image *I*, we first transform *I* to the *HSI* color model by (1), and then, the modified ratio map R' can be obtained by (8). Furthermore, the anisotropic filter [16] is applied to R' to alleviate the noise effect without blurring the boundaries between candidate shadow regions and nonshadow regions. In order to refer more shadow information, the morphology dilation operator [15] with  $3 \times 3$  square structuring elements is applied to R' to enlarge the candidate shadow regions. Under the obtained ratio map R', Otsu's method is used to determine a threshold *T* for constructing the coarse-shadow map *S*.

In our proposed STS-based algorithm, only the candidate shadow pixels are required to perform the local thresholding process to identify true shadow pixels. For the candidate shadow pixels in the coarse-shadow map, we construct candidate shadow regions by applying the connected component



Fig. 6. Flowchart of the proposed STS-based algorithm.

analysis to these pixels. Next, for each candidate shadow region, the local thresholding process is applied to distinguish true shadow pixels from candidate shadow pixels. Here, based on Otsu's thresholding method, the separability factor SP [17] is used to determine whether each candidate shadow region can be separated into the true shadow region and the candidate shadow region or not, and it is defined by

$$SP = \frac{\sigma_B^2}{\sigma_{T_L}^2} \tag{9}$$

where  $\sigma_B^2 = W_1(\mu_1 - \mu_{T_L})^2 + W_2(\mu_2 - \mu_{T_L})^2$  and  $\sigma_{T_L}^2 = \sigma_B^2 + \sigma_W^2$  denote the between-class and total variances, respectively, when the candidate shadow region is binarized into two classes according to the threshold  $T_L$  obtained by Otsu's method;  $W_1 = \sum_{i=0}^{T_L} P(i)$ , and  $W_2 = \sum_{i=T_L+1}^{255} P(i)$ , where P(i) denotes the probability of the ratio value i in R';  $\mu_1 = \sum_{i=0}^{T_L} (iP(i)/W_1)$ , and  $\mu_2 = \sum_{i=T_L+1}^{255} (iP(i)/W_2)$ ; and  $\mu_{T_L} = W_1\mu_1 + W_2\mu_2$ , and  $\sigma_W^2 = W_1\sigma_1^2 + W_2\sigma_2^2$ , where  $\sigma_1^2 = \sum_{i=0}^{T_L} P(i)(i-\mu_1)^2$  and  $\sigma_2^2 = \sum_{i=T_L+1}^{255} P(i)(i-\mu_2)^2$ .



Fig. 7. Shadow detection results for different  $T_{\rm SP}$ 's by using our proposed STS. (a)  $T_{\rm SP}=0.2$ . (b)  $T_{\rm SP}=0.8$ .

For each candidate shadow region, if the condition  $SP > T_{SP}$  is held where  $T_{SP}$  is set to 0.55, empirically, we separate the region into true shadows and candidate shadows according to the threshold  $T_L$ . A smaller  $T_{SP}$  tends to filter out more nonshadow pixels from each candidate shadow region. On the contrary, a larger  $T_{SP}$  tends to keep more true shadow pixels in the shadow detection result. Fig. 7 shows the influence of different  $T_{SP}$ 's on our proposed STS. Fig. 7(a) and (b) shows

the shadow detection results for  $T_{\rm SP} = 0.2$  and  $T_{\rm SP} = 0.8$ , respectively. From Fig. 7(a), although the roadway's shadow region can be distinguished from the river region for  $T_{\rm SP} = 0.2$ , in the bottom-left corner of the image, some true shadow pixels are identified as the nonshadow pixels. For  $T_{\rm SP} = 0.8$ , Fig. 7(b) shows that more true shadow pixels in the bottom-left corner of the image are detected, but the river region is detected as the true shadow region. From the aforementioned analysis, medium  $T_{\rm SP}$  is preferred. In our implementation,  $T_{\rm SP}$  is set to 0.55, which is applicable to all our testing images [see one detected result shown in Fig. 5(d)].

Based on the detected candidate shadows, the proposed STS-based algorithm will be applied to them iteratively until all the true shadows have been detected. In our experiments, it is enough to call the STS-based algorithm twice. From the aforementioned description, our proposed STS can be described by the following successive thresholding procedure:

Procedure SuccessiveThresholding(I)  $\{I_e, H_e\} \leftarrow \text{ColorTransform}(I)$ /\* By (5) and (6) \*/  $R' \leftarrow \text{ModifiedRatioImage}(I) /* \text{By (8) }*/$  $H_{R'} \leftarrow \text{Histogram}(R')$ /\* Obtain the histogram of R' \*/  $T \leftarrow \text{OtsuMethod}(H_{R'})$ /\* Run Otsu's method on the histogram  $H_{B'}^*$  $P_{\rm CS} \leftarrow \{\phi\}, P_N \leftarrow \{\phi\}$  $/^*P_{\rm CS}$  is used to store candidate shadow pixels;  $P_N$  is used to store nonshadow pixels \*/ for each position (x, y) in R' do if R'(x, y) > T then  $P_{\rm CS} \leftarrow P_{\rm CS} \cup (x, y)$ /\* By (4), collect candidate shadow pixels\*/ else  $P_N \leftarrow P_N \cup (x, y)$ /\* Collect nonshadow pixels \*/  $\{P_{\text{CS}}^0, P_{\text{CS}}^1, \dots, P_{\text{CS}}^{n-1}\} \leftarrow \text{ConnectedComponent}(P_{\text{CS}})$ /\* Partition candidate shadow-pixels into a set of candidate shadow regions \*/  $P_S \leftarrow \{\phi\} / P_S$  is used to store true shadow pixels \*/ for each  $P_{CS}^i \in \{P_{CS}^0, P_{CS}^1, \dots, P_{CS}^{n-1}\}$  do  $P_S \leftarrow P_S \cup \text{DetectShadow}(P_{CS}^i, R', \text{True})$ /\* Procedure DetectShadow( $P_{CS}^i, R',$  True) is used to extract true shadow pixels from candidate shadow region  $P_{\rm CS}^i * /$  $P_{\rm CS} \leftarrow P_{\rm CS} \setminus P_S$ /\* Collect the remaining candidate shadows for performing the fine-shadow determination process \*/  $P_S \leftarrow P_S \cup \text{FineShadow}(P_S, P_{\text{CS}}, P_N, I_e, H_e)$  $I^*$  The procedure FineShadow $(P_S, P_{CS}, P_N, I_e, H_e)$  is used to extract true shadows from candidate shadows \*/

return  $P_S$ 

Implemented by the recursive manner, the subprocedure DetectShadow in the aforementioned procedure performs the local thresholding process to each candidate shadow region iteratively for extracting true shadow pixels. The details of the subprocedure DetectShadow are shown after this paragraph. The subprocedure has three inputs P, R', and D, where P denotes the testing region, R' is the modified ratio map of the input image I, and D is used to identify whether the R' values of all pixels in the testing region are larger than the threshold or not in the previous thresholding process; if yes, we set D = True, otherwise we set D = False.

Subprocedure DetectShadow(P, R', D)  $H_{R'_{-}} \leftarrow \text{LocalHistogram}(P, R')$ /\* Obtain the histogram of testing region in the ratio map R' \* / $T_L \leftarrow \text{OtsuMethod}(H_{R'_T})$ /\* Run Otsu's method on the histogram  $H_{R'_r}$  \*/  $SP \leftarrow \text{SeparabilityAnalysis}(T_L, H_{R'_r})$ /\* Based on  $T_L$ , apply (9) to the histogram  $H_{R'_r}$  \*/  $P_{S_L} \leftarrow \{\phi\}$  $/^*P_{S_L}$  is used to store the detected true shadow pixels \*/ if  $SP > T_{SP}$  then  $P_{\mathrm{CS}_L} \leftarrow \{\phi\}$  $I^* P_{CS_L}$  is used to store pixels whose R' values are not larger than  $T_L$ , i.e., store the candidate shadow pixels \*/ for each position  $(x, y) \in P$  do if  $R'(x, y) > T_L$  then  $P_{S_L} \leftarrow P_{S_L} \cup (x, y)$  $/^*$  By (4), collect pixels whose R' values are larger than  $T_L */$ else  $P_{\mathrm{CS}_L} \leftarrow P_{\mathrm{CS}_L} \cup (x, y)$ /\* Collect pixels whose R' values are not larger than  $T_L * /$  $\{P_{\mathrm{CS}_L}^0, P_{\mathrm{CS}_L}^1, \dots, P_{\mathrm{CS}_L}^{m'-1}\} \leftarrow \text{ConnectedComponent}$  $(P_{\mathrm{CS}_L})$ /\* Partition pixels in  $P_{CS_L}$  into a set of regions \*/ for each  $P_{\mathrm{CS}_L}^i \in \{P_{\mathrm{CS}_L}^0, P_{\mathrm{CS}_L}^1, \dots, P_{\mathrm{CS}_L}^{m'-1}\}$  do  $P_{S_L} \leftarrow P_{S_L} \cup \text{DetectShadow}(P_{CS_L}^i, R, \text{False})$ /\* The procedure DetectShadow( $P_{CS_L}^i, R$ , False) is used to extract true shadow pixels from the region  $P_{\mathrm{CS}_L}^i * /$ else  $/^*$  For the case that the testing region P cannot be separated, P is the true shadow region if all pixels in region P are larger than the threshold in the previous thresholding process and we set D = True; otherwise, P is a candidate shadow region and we set  $D = \text{False }^*/$ 

if D =True return Pelse return  $\{\phi\}$ return  $P_{S_L}$  /\* Return detected true shadows \*/

#### C. Fine-Shadow Determination Process

After examining shadows in color aerial images, the following two properties are useful to distinguish true shadow pixels from nonshadow pixels. *Property 1:* True shadow pixels usually have lower intensity values than that of the neighboring nonshadow pixels, but both of their chromaticity values are similar.

*Property 2:* For the color aerial images, most true shadow pixels are connected.

After running the connected component operation on the set of candidate shadow pixels  $P_{\rm CS}$ , assume that we have n candidate shadow regions  $P_{\rm CS}^0, P_{\rm CS}^1, P_{\rm CS}^2, \ldots,$  and  $P_{\rm CS}^{n-1}$ Considering the *i*th candidate shadow region  $P_{CS}^i$ ,  $0 \le i \le$ n-1, its mean intensity value is calculated by  $\mu_{P_{ac}}^{I_e} =$  $1/|P_{\rm CS}^i| \sum_{(x,y)\in P_{\rm CS}^i} I_e(x,y)$ , where  $|P_{\rm CS}^i|$  denotes the number of pixels in the candidate shadow region  $P_{\rm CS}^i$ ; the mean intensity value of its neighboring nonshadow pixels is calculated by  $\mu_{P_{\mathrm{CS}}^{i,N}}^{I_e} = 1/|P_{\mathrm{CS}}^{i,N}| \sum_{(x,y)\in P_{\mathrm{CS}}^{i,N}} I_e(x,y)$ , where  $P_{\mathrm{CS}}^{i,N}$  denotes the set of neighboring nonshadow pixels which are five pixel wide around the candidate shadow region. The intensity values along the region boundaries are variant since they are influenced by the intensity values of both adjacent regions. In order to obtain a more accurate mean intensity value, the neighboring nonshadow pixels, which are about five pixel wide around the current candidate shadow region, have been considered. The following inequality

$$\mu_{P_{\rm CS}^{i,N}}^{I_e} - \mu_{P_{\rm CS}^i}^{I_e} > T_{I_e} \tag{10}$$

where the threshold  $T_{I_e}$  is set to 30, could be used to check whether the former condition of Property 1 is satisfied or not. The gap between the mean intensity value of each true shadow region and that of the neighboring nonshadow pixels, which are five pixel wide around the true shadow region, is denoted by  $T_{I_e}$ .  $T_{I_e}$  must be large enough to distinguish the true shadow region from the nonshadow region. However, if  $T_{I_e}$  is too large, some true shadow regions may not be detected. Based on our all testing images,  $T_{I_e} = 30$  is a good separator for distinguishing the true shadow region from the nonshadow region.

Due to the intensity invariant property of the *HSI* color model, true shadow pixels and their neighboring nonshadow pixels have similar chromaticity values. Thus, the second condition of Property 1 can be checked by the following two inequalities:

$$\frac{\left|\mu_{P_{\rm CS}^i}^{H_e} - \mu_{P_{\rm CS}^{i,N}}^{H_e}\right|}{\sigma_{P_{\rm CS}^i}^{H_e}} < T_\mu \tag{11}$$

$$\frac{\left|\sigma_{P_{\rm CS}^i}^{H_e} - \sigma_{P_{\rm CS}^{i,N}}^{H_e}\right|}{\sigma_{P_{\rm CS}^i}^{H_e}} < T_{\sigma} \tag{12}$$

where, empirically, the two thresholds  $T_{\mu}$  and  $T_{\sigma}$  are set to 1.5 and 0.6, respectively;  $\mu_{P_{\rm CS}^i}^{H_e}$  and  $\mu_{P_{\rm CS}^{i,N}}^{H_e}$  denote the mean  $H_e$  value of the *i*th candidate shadow region and the mean  $H_e$  value of its neighboring nonshadow pixels, respectively; and  $\sigma_{P_{\rm CS}^i}^{H_e}$  and  $\sigma_{P_{\rm CS}^i}^{H_e}$  denote the standard deviations of  $H_e$  values for

the *i*th candidate shadow region and its neighboring nonshadow pixels, respectively, and they are given by

$$\begin{split} \sigma_{P_{\rm CS}^{i}}^{H_{e}} &= \sqrt{\frac{1}{|P_{\rm CS}^{i}|} \sum_{(x,y)\in P_{\rm CS}^{i}} \left|H_{e}(x,y) - \mu_{P_{\rm CS}^{i}}^{H_{e}}\right|^{2}} \\ \sigma_{P_{\rm CS}^{i,N}}^{H_{e}} &= \sqrt{\frac{1}{|P_{\rm CS}^{i,N}|} \sum_{(x,y)\in P_{\rm CS}^{i,N}} \left|H_{e}(x,y) - \mu_{P_{\rm CS}^{i,N}}^{H_{e}}\right|^{2}}. \end{split}$$

The usage of  $T_{\mu}$  and  $T_{\sigma}$  is to determine whether the mean chromaticity value and standard deviation of each candidate shadow region and those of the neighboring nonshadow pixels, which are five pixel wide around the candidate shadow region, are similar or not, respectively. For smaller  $T_{\mu}$  and  $T_{\sigma}$ , more candidate shadow regions are identified as the nonshadow regions, but some true shadow regions may be contained in these identified nonshadow regions. For all our testing images,  $T_{\mu} = 1.5$  and  $T_{\sigma} = 0.6$  are applicable for checking the second condition of Property 1.

If the candidate shadow region  $P_{\rm CS}^i$  satisfies (11) and (12), it is said that the second condition of Property 1 is satisfied. From the aforementioned description, (10)–(12) can be used to determine whether each candidate shadow region satisfies Property 1 or not.

Return to Property 2. Let  $P_{\rm CS}^{i,S}$  and  $P_{\rm CS}^{i,N}$  denote the neighboring true shadow pixels and nonshadow pixels of the candidate shadow region  $P_{\rm CS}^i$ , respectively. The following inequality is used to examine whether the candidate shadow region  $P_{\rm CS}^i$  is connected to the true shadow pixels or not

$$\frac{|P_{\rm CS}^{i,S}|}{|P_{\rm CS}^{i,S}| + |P_{\rm CS}^{i,N}|} > T_{\rm CS} \quad (\le 1)$$
(13)

where the threshold  $T_{\rm CS}$  is set to 0.6 empirically. On the other hand, (13) can be used to examine whether Property 2 is held or not. For smaller  $T_{\rm CS}$ , more candidate shadow regions are identified as the true shadow regions, but some nonshadow regions may be contained in these identified true shadow regions. In our experiments,  $T_{\rm CS} = 0.6$  is applicable to all our testing images.

For each candidate shadow region, if it satisfies Property 1 or Property 2, we regard it as the true shadow region; otherwise, this region is regarded as the nonshadow region. From our proposed fine-shadow determination process, the true shadow pixels can be extracted from the candidate shadow pixels. The aforementioned subprocedure FineShadow process is shown as follows.

Subprocedure FineShadow( $P_S$ ,  $P_{CS}$ ,  $P_N$ ,  $I_e$ ,  $H_e$ )

 $P_{S_F} \leftarrow \{\phi\} / {}^*P_{S_F}$  is used to store detected true shadow pixels \*/

 $\{P_{CS}^{0}, P_{CS}^{1}, \dots, P_{CS}^{n-1}\} \leftarrow \text{ConnectedComponent}(P_{CS})$ /\* Partition candidate shadow pixels into a set of candidate shadow regions \*/

for each 
$$P_{CS}^i \in \{P_{CS}^0, P_{CS}^1, \dots, P_{CS}^{n-1}\}$$
 do  
 $F_S \leftarrow$  False

 $I^* F_S$  is used to record whether  $P^i_{CS}$  is the true shadow

region ( $F_S = \mathbf{True}$ ) or not ( $F_S = \mathbf{False}$ ) \*/  $P_{CS}^{i,N} \leftarrow \text{Neighboring Nonshadow Pixels}(P_{CS}^i, P_N)$ ) /\* Collect neighboring nonshadow pixels of  $P_{CS}^i$  \*/ Calculate  $\mu_{P_{CS}^{i,N}}^{I_e}$  and  $\mu_{P_{CS}^{i,S}}^{I_e}$  from  $P_{CS}^{i,N}$  and  $P_{CS}^i$ if  $\mu_{P_{CS}^{i,N}}^{I_e} - \mu_{P_{CS}^{i,S}}^{I_e} > T_{I_e}$  then Calculate  $\mu_{P_{CS}^{i,N}}^{H_e}, \mu_{P_{CS}^{i,N}}^{H_e}, \sigma_{P_{CS}^{i,S}}^{H_e}$ , and  $\sigma_{P_{CS}^{i,N}}^{H_e}$  from  $P_{CS}^{i,N}$  and  $P_{CS}^i$ if  $|\mu_{P_{CS}^{i,S}}^{H_e} - \mu_{P_{CS}^{i,N}}^{H_e}|/\sigma_{P_{CS}^{i,S}}^{H_e} < T_{\mu}$  and  $|\sigma_{P_{CS}^{H_e}}^{H_e} - \sigma_{P_{CS}^{i,N}}^{H_e}|/\sigma_{P_{CS}^{i,S}}^{H_e} < T_{\sigma}$ then  $F_S \leftarrow \mathbf{True}$ /\* By (10), (11) and (12), if  $P_{CS}^i$ satisfies Property 1, it is identified as the true shadow region \*/ if  $F_S = \mathbf{False}$   $P_{CS}^{i,S} \leftarrow \text{Neighboring Shadow Pixels}(P_{CS}^i, P_S)$ /\* Collect neighboring true shadow pixels of  $P_{CS}^i$  \*/ if  $|P_{CS}^{i,S}|/|P_{CS}^{i,S}| + |P_{CS}^{i,N}| > T_{CS}$  then  $F_S \leftarrow \mathbf{True}$ /\* By (13), if  $P_{CS}^i$  satisfies Property 2, it is identified as the true shadow region \*/ if  $F_S = \mathbf{True}$   $P_{S_F} \leftarrow P_{S_F} \cup P_{CS}^i$ return  $P_{S_F}/^*$  Return detected true shadows \*/

## **IV. EXPERIMENTAL RESULTS**

In this section, some experimental results are demonstrated to show the shadow detection accuracy comparison among the concerned three shadow detection algorithms, i.e., the algorithm of Huang *et al.* [11], Tsai's algorithm [12], and our proposed STS-based algorithm. All the concerned experiments are performed on the IBM compatible Pentium IV microprocessor with 3.2 GHz and 1-GB RAM. The operating system is MS-Windows XP, and the program developing environment is Borland C++ Builder 6.0. Our program has been uploaded in [18]. The following two sections are given to demonstrate the subjective and objective evaluations of the concerned three shadow detection algorithms.

Since our proposed STS-based algorithm consists of several processes, such as the construction of the modified ratio map, the global and local thresholding processes, and the fineshadow determination process, it requires more execution time than the algorithm of Huang *et al.* and Tsai's algorithm.

## A. Subjective Evaluation

Figs. 8(a)-13(a) show the six testing images, and the corresponding manually interpreted shadow maps, which are used as the ideal shadow maps to evaluate the shadow detection performance, are shown in Figs. 8(b)-13(b), respectively. The shadow detection results of the algorithm of Huang *et al.*, Tsai's algorithm, and our proposed STS-based algorithm are demonstrated in Figs. 8(c)-13(c), Figs. 8(d)-13(d), and Figs. 8(e)-13(e), respectively.



(e)

Fig. 8. Detection comparison among the concerned three algorithms for the first testing image. (a) Original image. (b) Ideal shadow detection result of (a). (c) Shadows detected by the algorithm of Huang *et al.* with  $T_1 = -3$ ,  $T_2 = 100$ , and  $T_3 = 120$ . (d) Shadows detected by Tsai's algorithm. (e) Shadows detected by the proposed STS-based algorithm.



Fig. 9. Detection comparison among the concerned three algorithms for the second testing image. (a) Original image. (b) Ideal shadow detection result of (a). (c) Shadows detected by the algorithm of Huang *et al.* with  $T_1 = -3$ ,  $T_2 = 100$ , and  $T_3 = 120$ . (d) Shadows detected by Tsai's algorithm. (e) Shadows detected by the proposed STS-based algorithm.



Fig. 10. Detection comparison among the concerned three algorithms for the third testing image. (a) Original image. (b) Ideal shadow detection result of (a). (c) Shadows detected by the algorithm of Huang *et al.* with  $T_1 = -3$ ,  $T_2 = 80$ , and  $T_3 = 120$ . (d) Shadows detected by Tsai's algorithm. (e) Shadows detected by the proposed STS-based algorithm.

For the first three testing images as shown in Figs. 8(a)-10(a), the detected shadows by using both of Tsai's and the proposed STS-based algorithms are quite similar to the marked ideal shadows, as shown in Figs. 8(b)-10(b), respectively, and have better accuracy than the algorithm of Huang et al. For the other three testing images as shown in Figs. 11(a)-13(a), it is observed that our proposed STS-based algorithm has the best accuracy performance among the three concerned algorithms and the detected results by our proposed algorithm are close to the ideal shadows marked in Figs. 11(b)-13(b), respectively. From the detected shadows, we can observe that the greenward in Fig. 11(a), the river and the green lawn in Fig. 12(a), and the roadway in Fig. 13(a) are regarded as shadows by the algorithm of Huang et al. [see Figs. 11(c)-13(c)] and Tsai's algorithm [see Figs. 11(d)-13(d)]. In Figs. 11(e)-13(e), shadows can be detected correctly by our proposed STS-based algorithm. The aforementioned subjective evaluation demonstrates that our proposed STS-based algorithm has the best accuracy performance among the three algorithms.

# B. Objective Evaluation

In this section, the objective evaluation metrics used in [12] are adopted to evaluate the accuracy of the concerned three shadow detection algorithms. Based on the concept of the



Fig. 12. Detection comparison among the concerned three algorithms for the fifth testing image. (a) Original image. (b) Ideal shadow detection result of (a). (c) Shadows detected by the algorithm of Huang *et al.* with  $T_1 = -3$ ,  $T_2 = 80$ , and  $T_3 = 120$ . (d) Shadows detected by Tsai's algorithm. (e) Shadows detected by the proposed STS-based algorithm.



Fig. 13. Detection comparison among the concerned three algorithms for the sixth testing image. (a) Original image. (b) Ideal shadow detection result of (a). (c) Shadows detected by the algorithm of Huang *et al.* with  $T_1 = -3$ , and  $T_2 = 80$ , and  $T_3 = 120$ . (d) Shadows detected by Tsai's algorithm. (e) Shadows detected by the proposed STS-based algorithm.

error matrices [1], [2] and the terminologies defined in [19], [20], three types of accuracy, namely the producer's accuracy, the user's accuracy, and the overall accuracy, are used in the objective evaluation.

The three types of accuracy are described as follows. The first type of accuracy is the producer's accuracy, which contains two parameters  $\eta s$  and  $\eta n$ , and they are defined by

$$\eta s = \frac{\text{TP}}{\text{TP} + \text{FN}}$$
$$\eta n = \frac{\text{TN}}{\text{FP} + \text{TN}}$$

where true positive (TP) denotes the number of true shadow pixels which are identified correctly; false negative (FN) denotes the number of true shadow pixels which are identified as nonshadow pixels; false positive (FP) denotes the number of nonshadow pixels which are identified as true shadow pixels; and true negative (TN) is the number of nonshadow pixels which are identified correctly. The parameter  $\eta s$  ( $\eta n$ ) denotes the ratio of the number of correctly detected true shadow (nonshadow) pixels over that of total true shadow (nonshadow) pixels. The second type of accuracy is the user's accuracy in terms of *ps* and *pn*, which are defined as

$$ps = \frac{\text{TP}}{\text{TP} + \text{FP}}$$
$$pn = \frac{\text{TN}}{\text{TN} + \text{FN}}$$

 TABLE I

 Three Shadow Detection Accuracy Measurements for Fig. 8(a)

Method	Producer's accuracies		User's accuracies		Overall accuracies
	$\eta_s(\%)$	$\eta_n(\%)$	$p_s(\%)$	$p_n(\%)$	au(%)
Proposed	92.21	98.83	95.63	97.57	97.16
Tsai's	92.15	98.97	96.16	97.82	97.47
Huang et al.'s	92.13	98.13	93.25	97.80	96.81

 $\begin{array}{c} \text{TABLE} \quad \text{II} \\ \text{Three Shadow Detection Accuracy Measurements for Fig. 9(a)} \end{array}$ 

	Producer's		User's		Overall
Method	accuracies		accuracies		accuracies
	$\eta_s(\%)$	$\eta_n(\%)$	$p_s(\%)$	$p_n(\%)$	au(%)
Proposed	85.96	97.96	98.01	85.57	91.44
Tsai's	86.23	97.84	97.90	85.88	91.59
Huang et al.'s	70.21	94.78	94.01	73.14	81.54

 TABLE III

 Three Shadow Detection Accuracy Measurements for Fig. 10(a)

	Producer's		User's		Overall
Method	accuracies		accuracies		accuracies
	$\eta_s(\%)$	$\eta_n(\%)$	$p_s(\%)$	$p_n(\%)$	au(%)
Proposed	73.33	97.50	92.00	90.30	90.68
Tsai's	75.85	96.13	88.50	91.02	90.41
Huang et al.'s	27.30	96.03	73.00	77.06	76.63

The parameter  $ps\ (pn)$  denotes the ratio of the number of correctly detected true shadow (nonshadow) pixels over that of the total detected true shadow (nonshadow) pixels, and thus, the user's accuracy can be used to measure the precision of the shadow detection algorithm. Combining the accuracies of the user and the producer, the third type of accuracy  $\tau$  defined as follows can be used to evaluate the correctness percentage [2] of the algorithm:

$$\tau = \frac{\mathrm{TP} + \mathrm{TN}}{\mathrm{TP} + \mathrm{TN} + \mathrm{FP} + \mathrm{FN}}$$

where TP + TN denotes the number of correctly detected true shadow and nonshadow pixels; TP + TN + FP + FN is equal to the number of total pixels in the image.

From the aforementioned three types of accuracy, Tables I–VI show the accuracy comparison among the algorithm of Huang *et al.*, Tsai's algorithm, and our STS-based algorithm for Figs. 8(a)–13(a), respectively. In Tables I–III, the accuracy of the proposed STS-based algorithm is very close to that of Tsai's algorithm, and both two algorithms have better accuracy than the algorithm of Huang *et al.* Tables IV–VI demonstrated that our proposed STS-based algorithm has better accuracy performance when compared with the other two algorithms.

 TABLE IV

 Three Shadow Detection Accuracy Measurements for Fig. 11(a)

Method	Producer's accuracies		User's accuracies		Overall accuracies
	$\eta_s(\%)$	$\eta_n(\%)$	$p_s(\%)$	$p_n(\%)$	au(%)
Proposed	74.49	97.08	46.50	99.11	96.33
Tsai's	89.14	64.26	7.85	99.43	65.08
Huang et al.'s	85.21	80.1	8.28	99.61	80.21

 $\begin{array}{c} \text{TABLE} \quad V\\ \text{Three Shadow Detection Accuracy Measurements for Fig. 12(a)} \end{array}$ 

Method	Producer's accuracies		User's accuracies		Overall accuracies
	$\eta_s(\%)$	$\eta_n(\%)$	$p_s(\%)$	$p_n(\%)$	au(%)
Proposed	93.36	98.93	92.21	99.1	98.27
Tsai's	99.66	27	15.56	99.83	35.64
Huang et al.'s	99.57	22.41	14.76	99.74	31.58

 $\begin{array}{c} \text{TABLE} \quad \text{VI} \\ \text{Three Shadow Detection Accuracy Measurements for Fig. 13(a)} \end{array}$ 

Method	Producer's accuracies		User's accuracies		Overall accuracies
	$\eta_s(\%)$	$\eta_n(\%)$	$p_s(\%)$	$p_n(\%)$	$\tau(\%)$
Proposed	82.97	98.42	85.81	98.04	96.81
Tsai's	99.86	58.40	21.72	99.97	62.7
Huang et al.'s	99.4	75.51	31.93	99.91	77.99

Overall, besides the subjective evaluation advantage, the objective evaluation also demonstrated the shadow detection advantage of our proposed STS-based algorithm when compared with the algorithm of Huang *et al.* and Tsai's algorithm.

#### V. CONCLUSION

In this paper, based on the coarse-to-fine strategy, our proposed STS-based algorithm has been presented for detecting shadows of color aerial images. Based on the proposed modified ratio map, the coarse-shadow map is constructed by using the global thresholding process. From the coarse-shadow map, our proposed STS first classifies all the pixels into the true and candidate shadow types. Furthermore, the proposed fineshadow determination process is used to distinguish the true shadows from the candidate shadows. Experimental results demonstrated that our proposed STS-based algorithm has better shadow detection accuracy when compared with the algorithm of Huang *et al.* and Tsai's algorithm.

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